

Unit: III
Lecture: 3
Relational Algebra
(Part-I)

Unary Relational Operations (Select and Project):

Selection operator (σ): Selection operator is used to select tuples from a relation based on some condition.

Syntax:

$$\sigma(\text{Cond})(\text{Relation Name})$$

e.g. extract employees whose salary is <10000 from Table 1 Employee:

$$\sigma(\text{salary} < 10000)(\text{Employee})$$

Result will be:

EID	Name	Salary
2E	Ramesh	5000
3E	Smith	8000
4E	Jack	6000

Projection Operator (π): Projection operator is used to project particular columns from a relation.

Syntax:

$$\pi(\text{Column 1, Column 2....Column n})(\text{Relation Name})$$

e.g. extract EID and Name from the relation Employee

$$\pi(\text{EID, Name})(\text{Employee})$$

Result will be:

EID	Name
1E	John
2E	Ramesh
3E	Smith
4E	Jack
5E	Nile

Relational algebra is a procedural query language. It uses a collection of operators to compose the queries.³

Every operator in the algebra accepts wither one or two relation instances as arguments and output a resultant relation instance.

Operations in Relational Algebra:

The relational algebraic operations can be divided into:

1. **Basic Set Oriented Operations:** Union, Intersection, Set difference and Cartesian product.
2. **Relational Oriented Operations:** Selection, Projection, Division and Joins

Consider the Employee-Student database shown below. This database contain two tables Employee and Student and the relationship is that an employee can also be a student and vice-versa.

Employee		
EID	Name	Salary
1E	John	10000
2E	Ramesh	5000
3E	Smith	8000
4E	Jack	6000
5E	Nile	15000

Student		
SID	Name	Fees
1S	Smith	1000
2S	Vijay	950
3S	Gaurav	2000
4S	Nile	1500
5S	John	950

Fig: Employee and Student Relations

Basic Set-oriented Operations:

- **The union operation:** The union operation is a binary operation that is used to find union of relations. Here relations are considered as sets. So, duplicate values are eliminated.
 - **It is denoted by (U).**
 - **Conditions for Union Operation:**
 - Both the relations should have same number of attributes.
 - Data types of their corresponding attributes must be same.
 - Two relations are said to be union compatible if they follow the above two conditions.
 - e.g. if we want to find the names of all employees and names of all students together then query is:
 $\Pi_{\text{Name}}(\text{Employee}) \cup \Pi_{\text{Name}}(\text{Student})$

Result:

Name
John
Ramesh
Smith
jack
Nile
Vijay
Gaurav

- **Set Intersection Operation:** Set intersection is used to find common tuples between two relations.
 - **It is denoted by \cap**
 - e.g. if we want to find all the employees from Relation Employee those are also student. Then query is:

Π Name (**Employee**) \cap Π Name (**Student**)

Result:

Name
John
Smith
Nile

- **Set Difference Operation:** Set-difference operation is a binary operation which is used to find tuples that are present in one relation but not in other relation.
 - **It is denoted by (-).**
 - It removes the common tuples of two relations and produce a new relation having rest of the tuples of first relation.
 - e.g. if we want the names of those employees that are not students, then query is:

Π Name (**Employee**) - Π Name (**Student**)

Result:

Name
Ramesh
Jack

- **Cartesian Product Operation:** Cartesian product is a binary operation which is used to combine information of any two relations.
 - **It is denoted by (x).**
 - Suppose a relation R1 is having m tuples and other relation R2 is having n tuples then R1 x R2 has m x n tuples.

e.g. Consider two relations given below:

Employee		
EID	Name	JID
1E	Manoj	1J
2E	Deepak	2J
3E	Vinay	1J

Job	
JID	Job
1J	Tester
2J	Manager

Say query is: Employee x Job

The result of Cartesian product will be:

EID	Name	Employee JID	Job JID	Job
1E	Manoj	1J	1J	Tester
1E	Manoj	1J	2J	Manager
2E	Deepak	2J	1J	Tester
2E	Deepak	2J	2J	Manager
3E	Vinay	1J	1J	Tester
3E	Vinay	1J	2J	Manager